

Interaction of the AGN and X-ray Emitting Gas

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Significance of AGN heating

Conductive heating may be able to balance radiative cooling in some cooling flow clusters, but not in all (Zakamska & Narayan, *ApJ*, **582**, 162, 2003)

Thermal conduction is unlikely to be significant in elliptical galaxies (groups?):

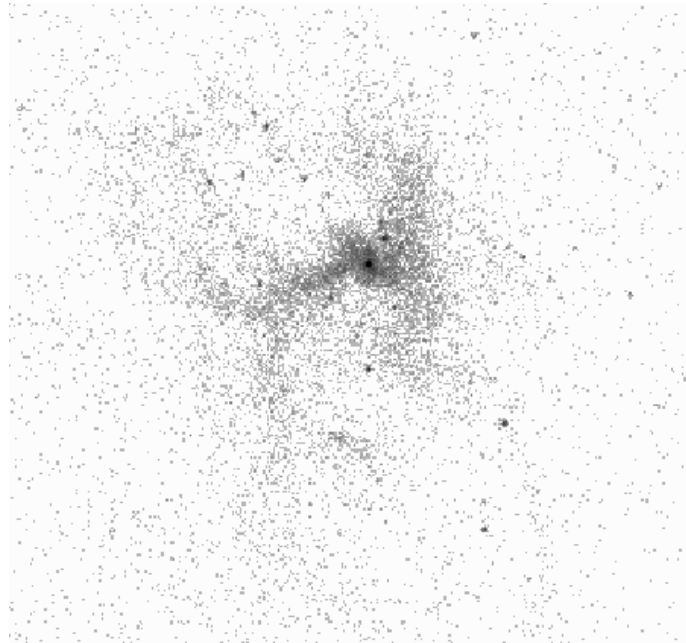
- Thermal conductivity $\kappa \propto T^{5/2}$ — similar cooling times to clusters
- No reservoir of hot gas to supply the heat

AGN outbursts are significant for energetics of cluster cooling flows, dominant for ellipticals (e.g. M84 — Finoguenov & Jones, *ApJ*, **547**, L107, 2001)

If AGN outburst is powered by Bondi accretion of cooling hot gas, what sized outburst should we expect?

Chandra Image of M84

Finoguenov & Jones, *ApJ*, **547**, L107, 2001



Feeding the Outburst

Bondi accretion rate ($\gamma = 5/3$)

$$\begin{aligned}\dot{M}_B &= \frac{\pi\rho_0(GM_h)^2}{s_0^3} = \frac{\pi(GM_h)^2}{\Sigma_0^{3/2}} \\ &= 0.012 n_e T^{-\frac{3}{2}} M_9^2 M_\odot y^{-1},\end{aligned}$$

sound speed $s_0 = 519 T^{1/2}$ km s⁻¹,

temperature T (keV),

electron density n_e (cm⁻³),

black hole mass $M_h = 10^9 M_9 M_\odot$,

“entropy” $\Sigma_0 = 5p_0/(3\rho_0^{5/3}) = 5kT_0/(3\mu m_H \rho_0^{2/3}) = s_0^2 \rho_0^{-2/3}$.

Cooling reduces the entropy, boosting accretion rate:

$$\rho T \frac{dS}{dt} = -n_e n_H \Lambda(T)$$

gives

$$\frac{d \log \Sigma}{dt} = -\frac{1}{t_{\text{cool}}}.$$

While the cooling gas is hydrostatic, it remains close to the “virial temperature” $kT/(\mu m_{\text{H}}) \simeq GM(r)/r$.

Hydrostatic equilibrium is lost when $t_{\text{cool}} \lesssim t_{\text{sc}} = r/s$.

Bondi flow ceases to be “hot” when

$$\left. \frac{t_{\text{cool}}}{t_{\text{sc}}} \right|_{r_{\text{B}}} = \beta \simeq \frac{2kT_0 s_0^3}{n_{\text{e},0} \mu G M_{\text{h}} \Lambda(T_0)} \simeq 1.$$

Putting $n_{\text{e},0}$ in terms of β , the Bondi accretion rate is

$$\dot{m}_{\text{B}} = \frac{\dot{M}_{\text{B}}}{\dot{M}_{\text{Edd}}} \simeq \frac{\eta \sigma_{\text{T}} c k T_0}{\beta \Lambda(T_0)} \simeq 0.3 \frac{\eta_{-1} T}{\beta \Lambda_{-23}},$$

where the “Eddington” accretion rate, \dot{M}_{Edd} is defined by

$$\eta \dot{M}_{\text{Edd}} c^2 = L_{\text{Edd}} = \frac{4\pi G M_{\text{h}} m_{\text{H}} c}{\sigma_{\text{T}}},$$

and L_{Edd} is the Eddington limit.

Assume outburst occurs when $\beta \simeq 1$.

Mass accreted before $\beta \simeq 1$

$$\begin{aligned}
M_a &= \int_{t_i}^{t_f} \dot{M}_B dt \\
&\simeq \int_{\Sigma_f}^{\Sigma_i} \dot{M}_B t_{\text{cool}} \frac{d\Sigma_0}{\Sigma_0} && \text{(uniform gas)} \\
&= \int_{\Sigma_f}^{\Sigma_i} \frac{\pi \rho_0 (GM_h)^2}{s_0^3} \times \frac{2kT_0}{n_{e,0} \mu \Lambda(T_0)} \frac{d\Sigma_0}{\Sigma_0} \\
&= \dot{M}_{B,i} t_{\text{cool},i} \ln \frac{\Sigma_i}{\Sigma_f} && (T_0 \text{ constant})
\end{aligned}$$

Putting $M_a = \chi \dot{M}_{B,i} t_{\text{cool},i}$, the mass accreted is

$$M_a \simeq \frac{48\pi\chi(GM_h m_H)^2}{35s_0\Lambda(T_0)} \simeq 2 \times 10^5 \frac{\chi M_9^2}{T^{1/2}\Lambda_{-23}} M_\odot.$$

The mechanical energy generated is

$$E_a = \eta_{\text{mech}} M_a c^2 \simeq 3.7 \times 10^{58} \frac{\eta_{m,-1} \chi M_9^2}{T^{1/2}\Lambda_{-23}} \text{ erg.}$$

Hydra A:

(David *et al.*, *ApJ*, **557**, 546, 2001) $kT \simeq 3$ keV; $\Lambda_{-23} \simeq 1.8$ ($Z = 1$); $M_h \simeq 4 \times 10^9 M_\odot$ (estimated; Sambruna *et al.*, *ApJ*, **532**, L91, 2000)

$$\longrightarrow E_a \simeq 2 \times 10^{59} \chi \eta_{m,-1} \text{ erg.}$$

For SW cavity $pV \simeq 2 \times 10^{59}$ erg. Thermal energy 3 – 4 times greater if cavity filled with relativistic plasma; double again for NE cavity.

Continuing jet may “top up” outburst.

Summary

- Effect of cooling on Bondi accretion provides a mechanism for AGN feedback.
- Outburst occurs as $t_{\text{cool}} \rightarrow t_{\text{flow}}$ at the Bondi radius.
- Outburst energy is insensitive to gas density and details of when outburst occurs
- — determined chiefly by black hole mass and virial temperature of host.